

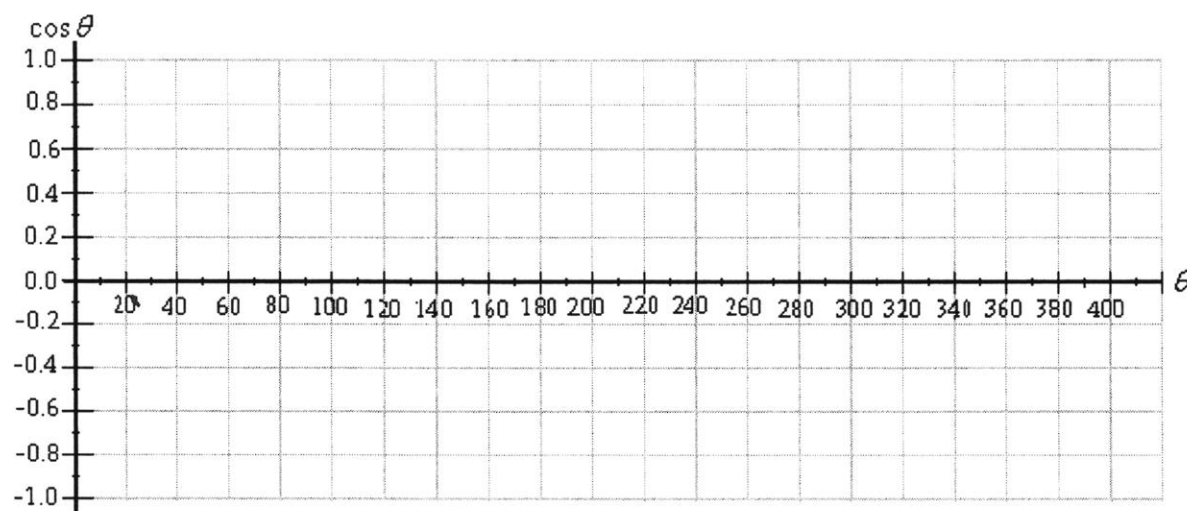
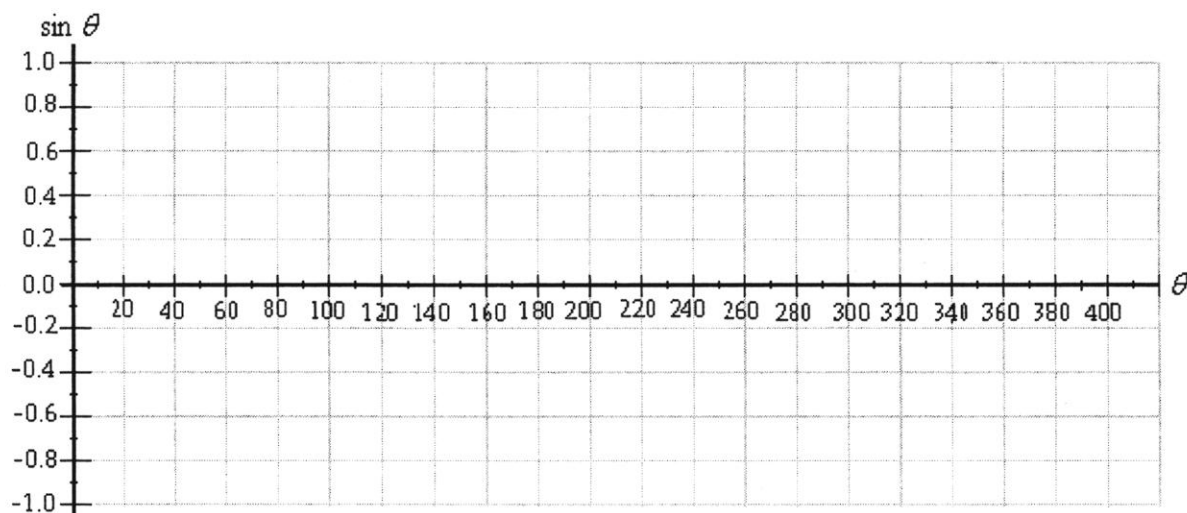
PART 1

Fill in the following tables. Use your calculator, round decimals to the nearest *tenth*.

θ	$\sin \theta$	$\cos \theta$	θ	$\sin \theta$	$\cos \theta$	θ	$\sin \theta$	$\cos \theta$	θ	$\sin \theta$	$\cos \theta$
0	0		100			200			300		
10	.2		110			210			310		
20			120			220			320		
30			130			230			330		
40			140			240			340		
50			150			250			350		
60			160			260			360		
70			170			270			370		
80			180			280			380		
90			190			290			390		

PART 2

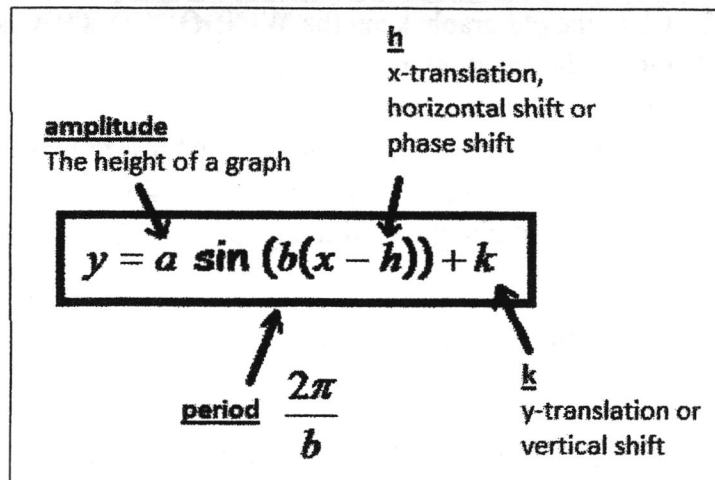
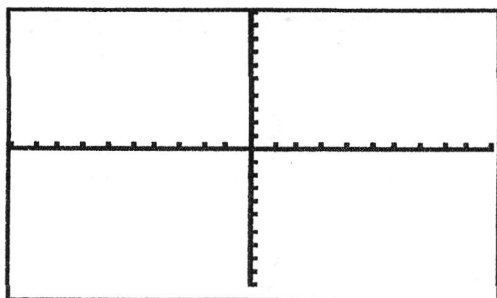
Use the data you just collected to graph both the sine and cosine functions



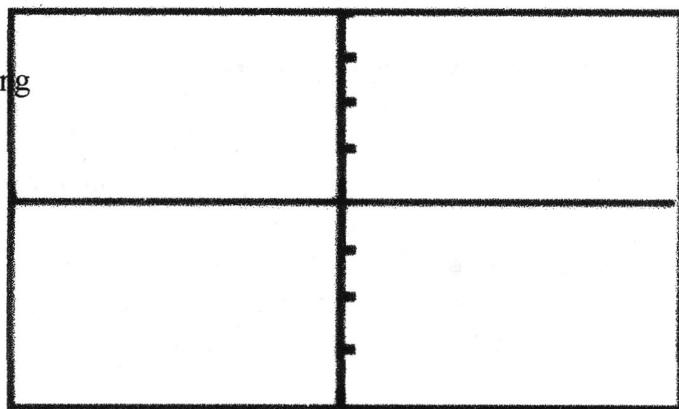
Graphs of SINE waves

BASIC

1. Set your calculator to **DEGREES**
2. Set your graph window to **STANDARD**
3. Graph the equation $y = 1 \cdot \sin(1 \cdot (x - 0)) + 0$
4. Sketch what the graph looks like below:

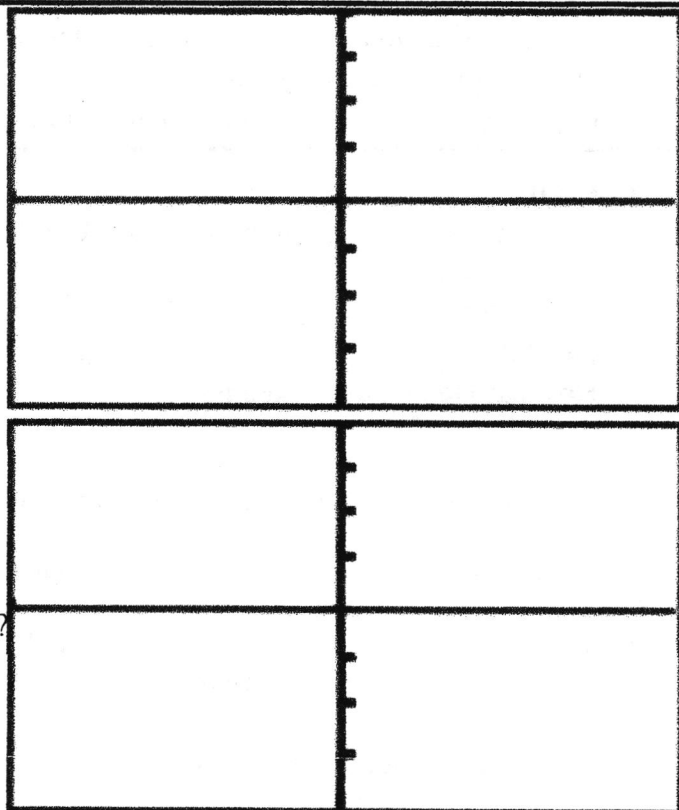


5. We can't see the graph because a sine wave is less than 1, and goes from 0 to 360. Your calculator has a special setting to see it better. Change your **ZOOM** to the **TRIG** setting. Sketch what the graph looks like now.
6. In your graph, write in the upper and lower limit for the x-axis
7. In your graph, write in the upper and lower limit for the y-axis
8. Use the **TRACE** feature on your calculator to find the coordinates of the high points, low points and zeros. Write the coordinates of those points in your graph.



AMPLITUDE

1. Clear the old graph, keep the **WINDOW** \rightarrow **TRIG** setting
2. Graph the equation $y = 3 \cdot \sin(1 \cdot (x - 0)) + 0$.
3. The amplitude is now _____.
4. Sketch the graph in the diagram to the right.
5. How is this graph different than the last one?
6. Find the coordinates of the high and low points, write those coordinates in the graph.
7. Amplitude is the distance from the middle of the graph to the high point, or low point.
8. Range is the highest y-coordinate minus the lowest y-coordinate (total height). What is the range of the graph?
9. Without using your calculator, try to sketch the graph of $y = 2 \cdot \sin(1 \cdot (x - 0)) + 0$ in the last blank graph. Label the high points and low points.



VERTICAL SHIFT or y-TRANSLATION

1. Clear the old graph, keep the **WINDOW** → **TRIG** setting
2. Graph the equation $y = 1 \cdot \sin(1 \cdot (x - 0)) + 2$.
3. Sketch the graph in the box to the right.
4. Write in the coordinates of the high and low points.
5. How did this graph change from $y = 1 \cdot \sin(1 \cdot (x - 0)) + 0$?

a) What direction did the graph move?

b) How far did it move?

6. Without using your calculator, sketch the graph of $y = 1 \cdot \sin(1 \cdot (x - 0)) + 0$

7. Write in the coordinates of the high and low points.

HORIZONTAL SHIFT or x-TRANSLATION

1. Clear the old graph, keep the **WINDOW** → **TRIG** setting
2. Graph the equation $y = 1 \cdot \sin(1 \cdot (x - 60)) + 0$
3. Use the **TRACE** feature to label the high points, low points and zeros of the graph. (if your calculator gives them in scientific notation, change them to decimal form)
4. How did the graph change from $y = 1 \cdot \sin(1 \cdot (x - 0)) + 0$?

a) Which direction did it move?

b) How far did it move?

5. Without using your calculator, try to sketch the equation $y = 1 \cdot \sin(1 \cdot (x - 20)) + 0$

Label the coordinates of the high points, low points and zeros

PERIOD

1. Clear the old graph, keep the **WINDOW** → **TRIG** setting
2. Use your calculator to draw the graph of $y = 1 \cdot \sin(2 \cdot (x - 0)) + 0$
Label the high points, low points and zeros.
3. How has the graph changed now?

4. Starting at (0,0), and moving to the right, how many full sine waves appear between (0, 0) and (360, 0)?
5. How many degrees does it take to complete 1 full wave?
6. This is called the period. (distance to complete 1 full wave)
We calculate the period with the equation $period = 360 \div b$ or $period = 2\pi \div b$.
7. What is the period for the equation $y = 1 \cdot \sin(10 \cdot (x - 0)) + 0$ in degrees _____ in radians _____.